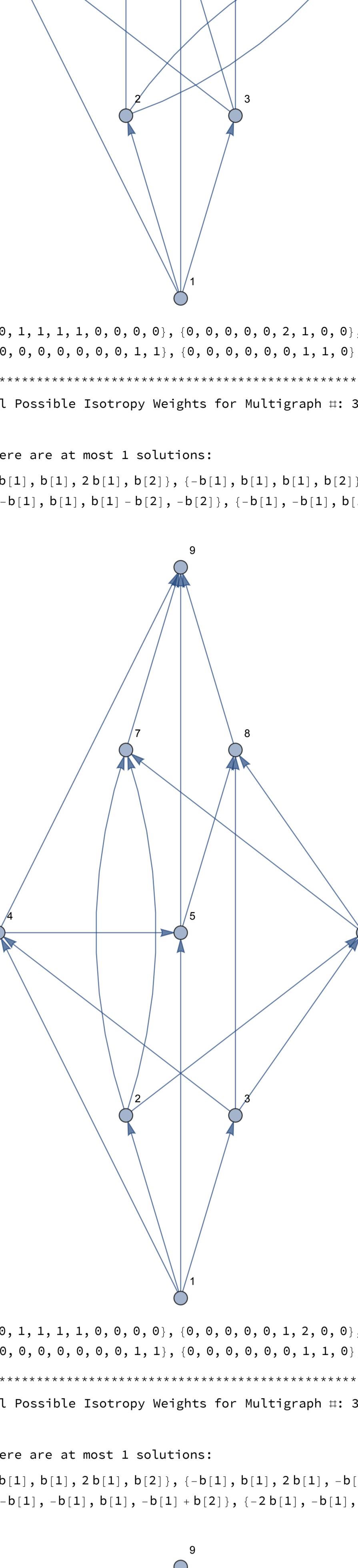


$b[1], b[1]$
 $-b[1], -b[1]$

A diagram illustrating a geometric configuration. A vertical line segment labeled AB is positioned on the left. To its right, two other line segments, labeled AC and BC, meet at a common endpoint C, which is located to the right of B. This forms a triangle ABC.

A diagram showing a directed graph with three nodes, each represented by a grey circle. Node 4 is on the far left, node 5 is in the middle, and node 6 is on the right. Directed edges are shown as blue arrows pointing from one node to another. There are two incoming edges to node 4, both pointing towards it from the left. There is one outgoing edge from node 4, pointing away from it towards the top-left. There are two incoming edges to node 5, one from the top-left and one from the bottom-left. There is one outgoing edge from node 5, pointing away from it towards the top-right. There are two incoming edges to node 6, one from the top-left and one from the bottom-left. There is one outgoing edge from node 6, pointing away from it towards the top-right.



The diagram illustrates two nodes, labeled 2 and 3, each connected to a vertical line. Node 2, located on the left, has three blue curved arrows pointing upwards towards its vertical line. Node 3, located on the right, has two blue curved arrows pointing upwards towards its vertical line. The vertical lines themselves are also drawn in blue.

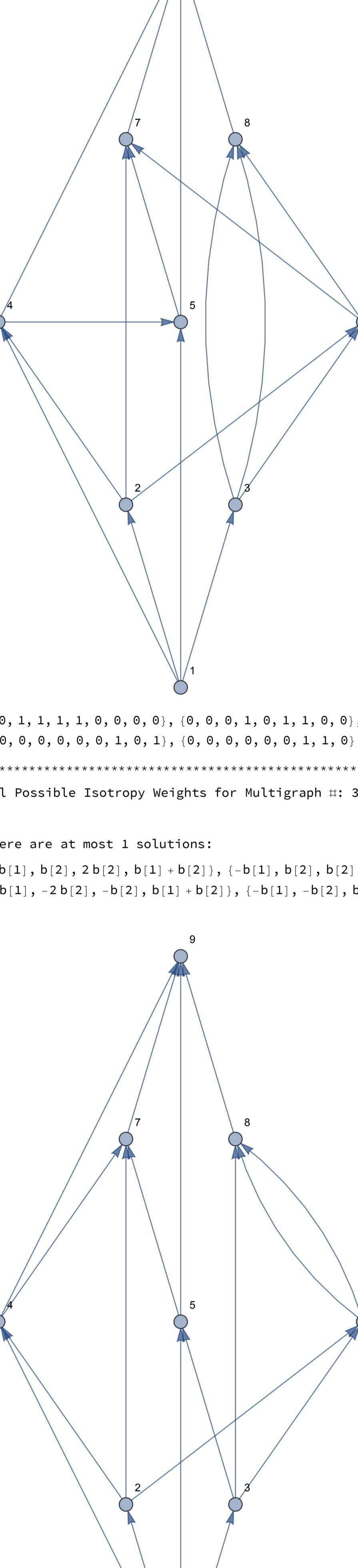
There are at most 1 solution

ere are at most 1 solutions:

$b[1], b[2], b[2], 2b[2]\}$, $\{-b[1], b[2], 2b[2], -b[1] + b[2]\}$, $\{b[1], -b[2], b[2], b[2]\}$, $\{b[1] - b[2], -b[2], b[2], 2b[2]\}$, $\{b[1], -2b[2], -b[2], b[2]\}$,
 $\{-b[1], -b[2], b[2], -b[1] + b[2]\}$, $\{-b[1], -2b[2], -b[2], -b[1] + b[2]\}$, $\{b[1] - b[2], -b[2], -b[2], b[2]\}$, $\{b[1] - b[2], -2b[2], -b[2], -b[2]\}$

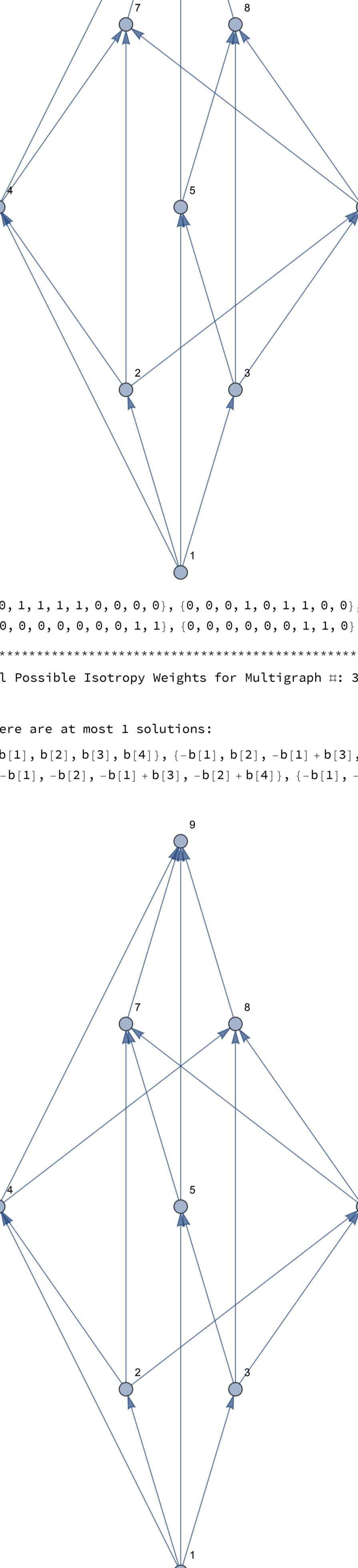
9





```
0, 0, 0, 0, 0, 0, 1, 0, 1}, {0, 0, 0, 0, 0, 0, 0, 0, 2, 0}, {  
*****  
l Possible Isotropy Weights for Multigraph #: 362
```

$-b[1], -b[1], -b[1] + b[2],$

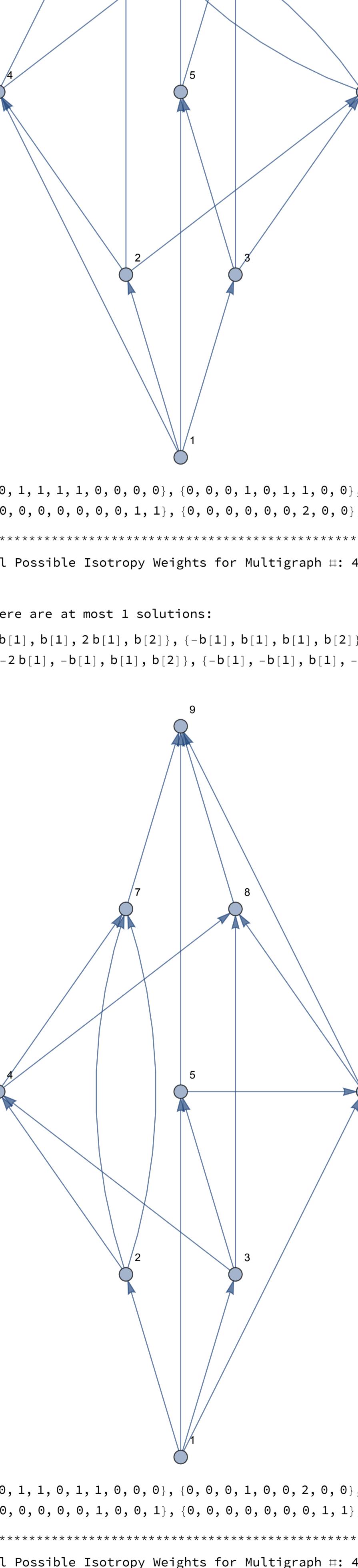


0, 1, 1, 1, 1, 0, 0, 0, 0}, {0, 0, 0, 1, 0, 1, 1, 0, 0}, {0, 0, 0, 0, 0, 1, 1, 0, 1, 0}, {0, 0, 0, 0, 0, 0, 0, 0, 0, 1, 1},
0, 0, 0, 0, 0, 0, 1, 0, 1}, {0, 0, 0, 0, 0, 0, 1, 1, 0}, {0, 0, 0, 0, 0, 0, 0, 0, 1}, {0, 0, 0, 0, 0, 0, 0, 0, 0, 1}, {0, 0, 0, 0, 0, 0, 0, 0, 0, 0},

$b[1], 2b[1], b[2], b[1] + b[2]\}$, $\{-b[1], b[1], b[2], b[1] - b[2]\}$, $\{-b[1], b[1], b[1] - b[2]\}$

10

The diagram illustrates a network interaction between two nodes, labeled 7 and 8. Node 7 is positioned on the left, and node 8 is on the right. They are interconnected by several curved arrows, suggesting a complex relationship or flow of information. The arrows originate from various points on the vertical lines associated with each node and curve towards the other, with some pointing away as well.



here are at most 1 solutions:

```
b[1], b[2], b[2], 2b[2]}, {-b[1], b[2], 2b[2], -b[1] + b[2]}, {b[1], -b[2], b[2], b[2]}, {-b[1], -b[2], b[2], -b[1] + b[2]},  
{-b[1] - 2b[2], -b[2], b[2]}, {-b[1] - 2b[2], -b[2], -b[1] + b[2]}, {b[1], b[2], -b[2], b[2]}, {b[1], b[2], -2b[2], b[2]},  
{-b[1], b[2], -2b[2], b[2]}, {-b[1], b[2], -2b[2], -b[2]}, {b[1], -b[2], -b[2], b[2]}, {-b[1], -b[2], -b[2], b[2]}, {b[1], -b[2], -2b[2], b[2]}
```

A diagram showing a circular base with three legs extending downwards. The top of each leg features a blue triangular cap.

```
graph LR; 4((4)) --> 5((5)); 4((4)) --> 6((6)); 5((5)) --> 6((6)); 6((6)) --> 5((5))
```

